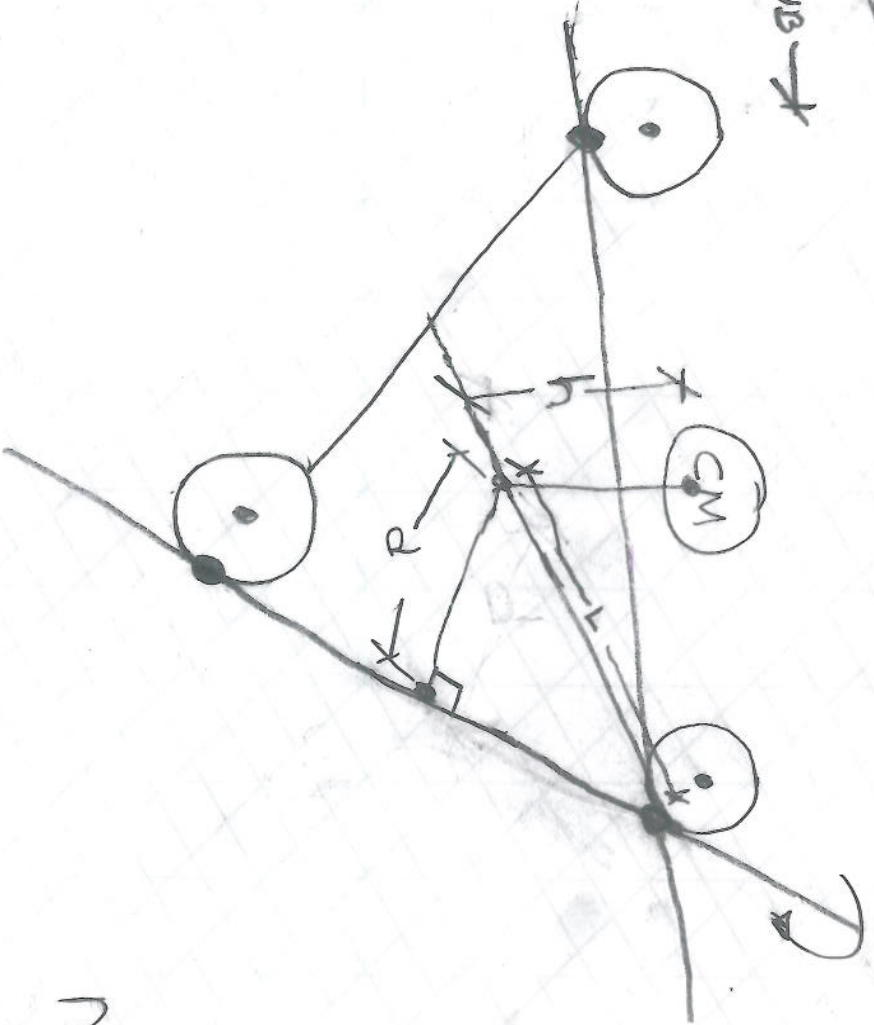
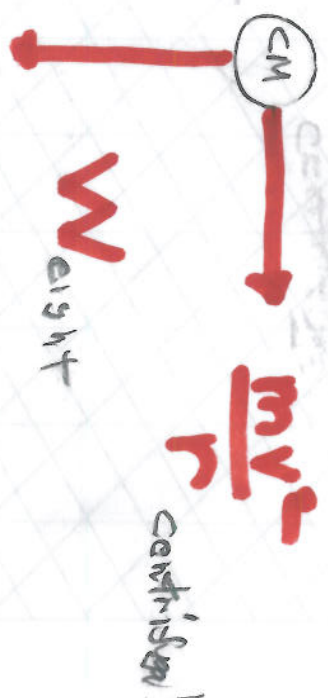


Roll axis



forces on center of mass in turn



Physical description

No Roll over \Rightarrow

$$(W) \cdot d \geq \left(\frac{mv^2}{r} \right) \cdot h$$

moments on the center of mass

$$d = L \cdot \sin(\tan^{-1}(v/2wb))$$

where r = turn radius

v = speed m/s

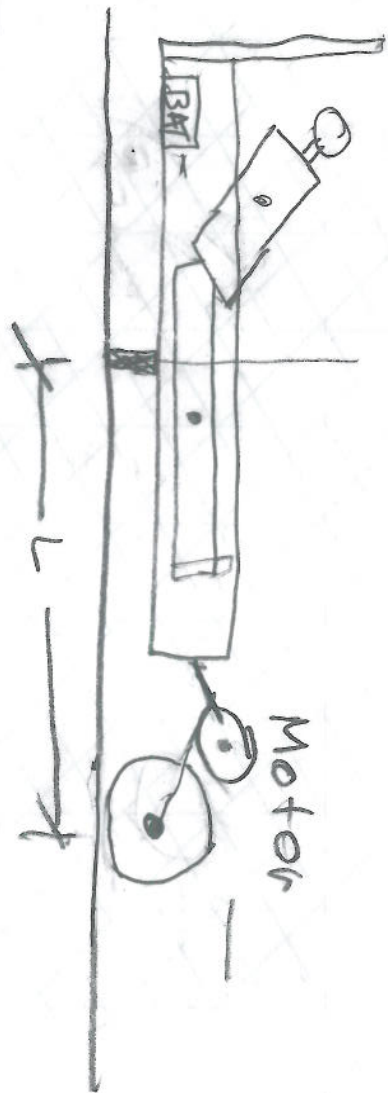
m = mass in Kg

where r e
d is found
from STD
505

Stability
KAE
2/3/09

① DETERMINATION OF L

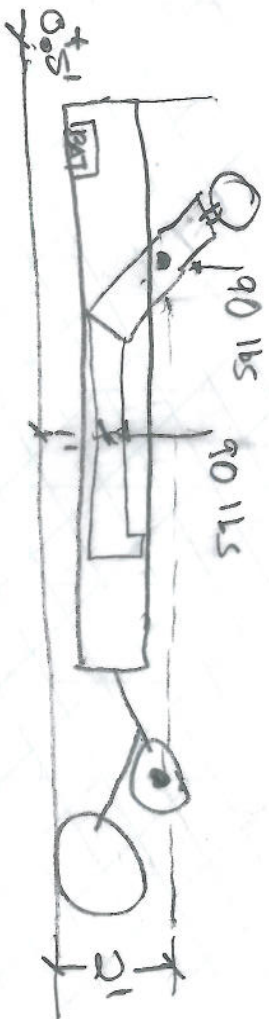
SHEET 2



Rear wheels not shown for clarity

CAR & DRIVER BALANCED ON 2"x4" to establish L

② Estimation of h



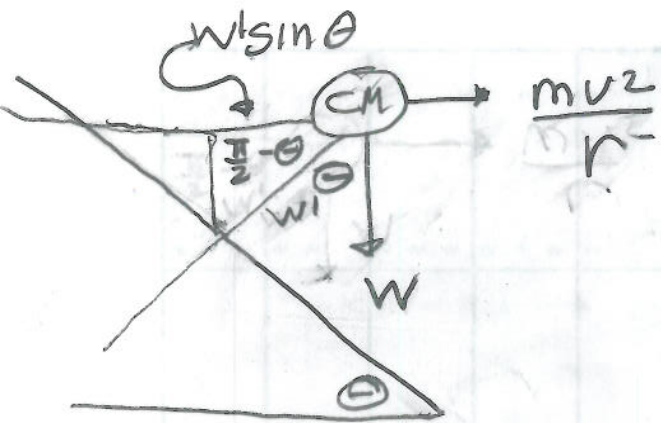
Assume total car weight is 400 lbs

- 400
- 40 motor
- 70 BATTERIES
- 180 driver

110 lbs remaining

$$h = \frac{0.5(70) + (90)2 + (90)1 + (40)2 + (110)1.5}{400}$$

$$= \frac{(35) + (180) + 90 + 80 + 165}{400} = 1.4'$$



Sheet 3

On angle θ , W has a radial component opposing $\frac{mv^2}{r}$ equal to

$$\#1 \quad W'(\cos(\frac{\pi}{2} - \theta)) = W' \sin \theta$$

and $W' = W \cos \theta$

but for small θ

$\cos \theta \approx 1$ hence

$W' \approx W$ or

radial component $\#1$ becomes $W \sin \theta$

hence

$W_0 d \geq (\frac{mv^2}{r}) h$ in the case of a tilt becomes

$$W_0 d \geq \left(\frac{mv^2}{r} - W \sin \theta \right) h$$

$$\frac{mv^2}{r} \leq \frac{W_0 d}{h} + W \sin \theta$$

at tip

$$\frac{mv^2}{r} = \frac{W_0 d}{h} + W \sin \theta$$

$$\text{or } v = \left[\left(\frac{W_0 d}{h} + W \sin \theta \right) \frac{r}{m} \right]^{-1/2}$$